

# CSE660

# Differential Privacy

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# Outline of the class

## ***Week 1***

Introduction, motivation and privacy limitations. Definition of Differential Privacy and the curator model.

## ***Week 2***

Basic mechanisms: Randomized Response, Laplace Mechanism,

## ***Week 3***

Basic properties following from the definition, Exponential Mechanism and comparison with the other basic mechanisms.

## ***Week 4***

The Report Noisy max algorithm.

## ***Week 5***

The Sparse Vector technique. Releasing Many Counting Queries with Correlated Noise. The smallDB algorithm.

## ***Week 6***

The MWEM algorithm.

# Outline of the class

## ***Week 7***

Revisiting MWEM, The DualQuery algorithm.

## ***Week 8***

Advanced Composition and variations on differential privacy: Renyi DP, zero-concentrated DP.

## ***Week 9***

Studying the experimental accuracy.  
The local model for differential privacy.

## ***Week 10***

More algorithms for the local model.

## ***Week 11***

PAC learning and private PAC learning

## ***Week 12***

Differentially Private Hypothesis Testing

## ***Week 13***

Differential Privacy and Generalization in Adaptive Data Analysis

## ***Week 14***

Project presentations

# Differential privacy

## Definition

Given  $\epsilon, \delta \geq 0$ , a probabilistic query  $Q: X^n \rightarrow R$  is  $(\epsilon, \delta)$ -differentially private iff

for all adjacent database  $b_1, b_2$  and for every  $S \subseteq R$ :

$$\Pr[Q(b_1) \in S] \leq \exp(\epsilon) \Pr[Q(b_2) \in S] + \delta$$

# Blatantly non-privacy

The privacy mechanism  $M: X^n \rightarrow R$  is **blatantly non-private** if an adversary can build a candidate database  $D' \in X^n$ , that agrees with the real database  $D$  in all but  $o(n)$  entries:

$$d_H(D, D') \in o(n)$$

# Differential privacy prevents blatantly non-privacy

Consider a uniformly random dataset  $D \in X^n$ .  
Suppose  $Q: X^n \rightarrow R$  is  $(\epsilon, \delta)$ -differentially private.

Then the the expected fraction of rows that any adversary can reconstruct is at most:

$$\frac{e^\epsilon}{|X|} + \delta$$