CS 235: Algebraic Algorithms, Spring 2021

Problem 1. Let R be a non-trivial ring. Show that for some $a, b \in R$ such that ab = 1, if either a or b is a Zero Divisor then ba = 1.

Problem 2. Let S and T be subrings of ring R. Show that $S \cap T$ is also a subring of R.

Problem 3. Show that if F is a field, the units in F[X] are exactly nonzero elements of F.